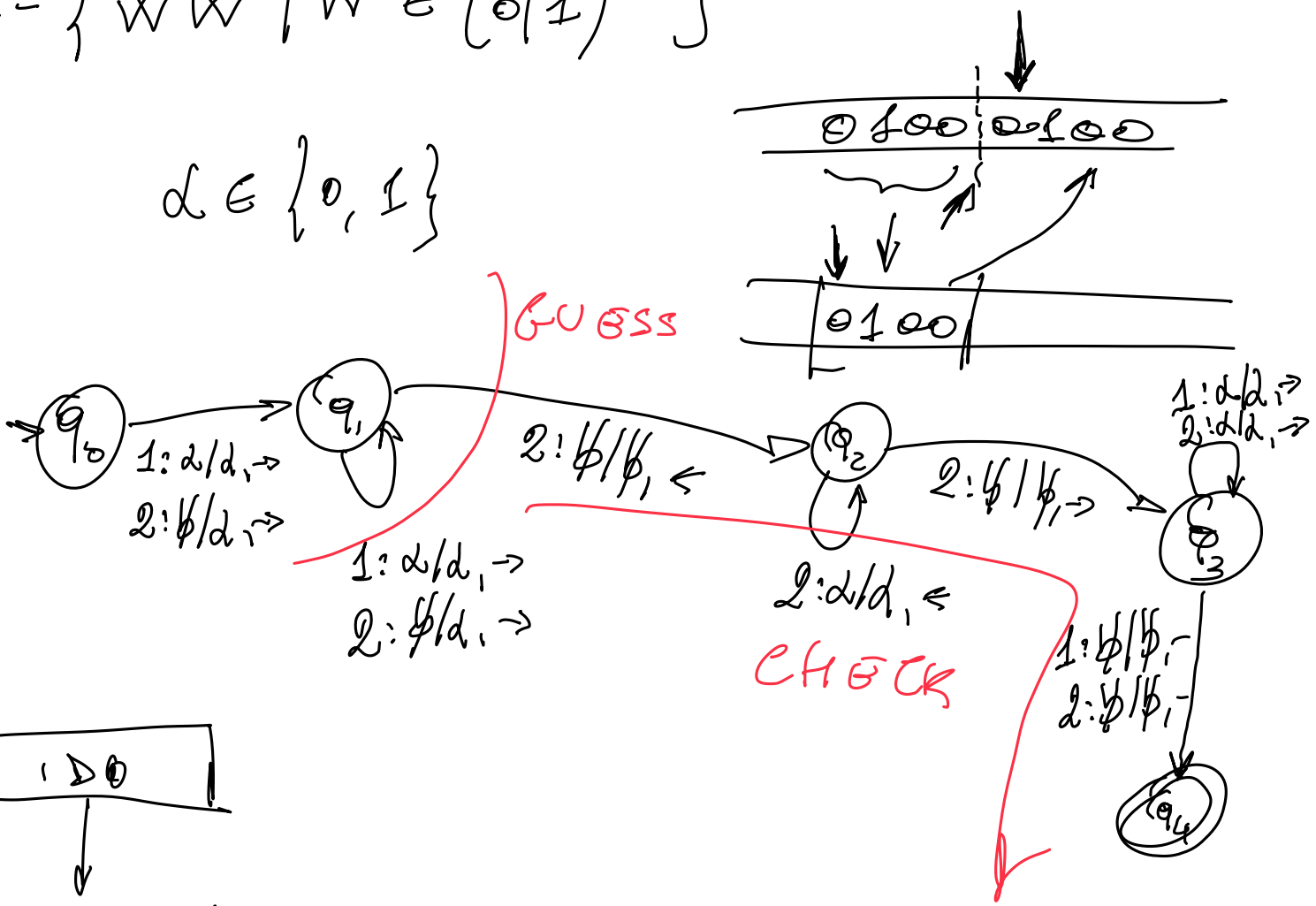
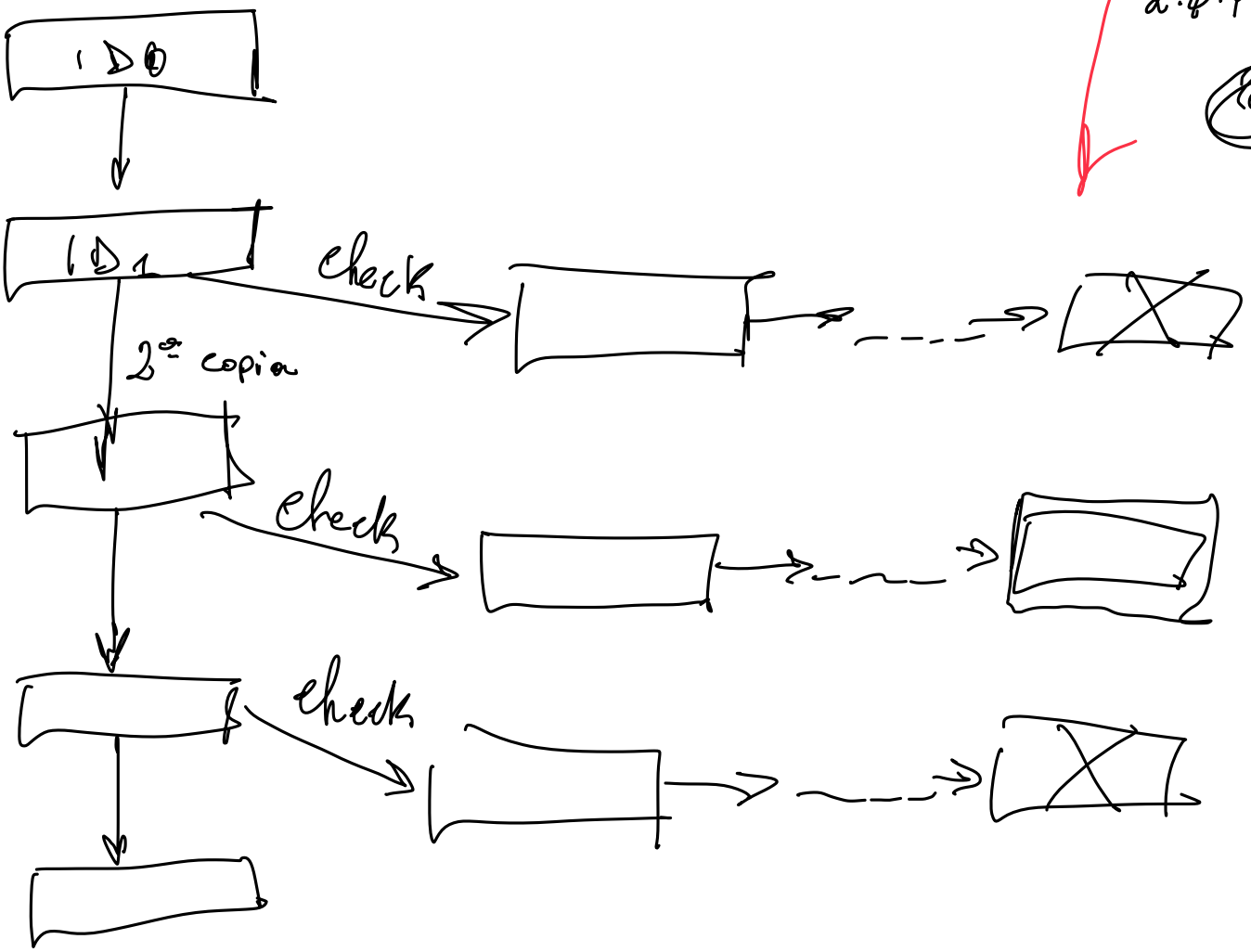
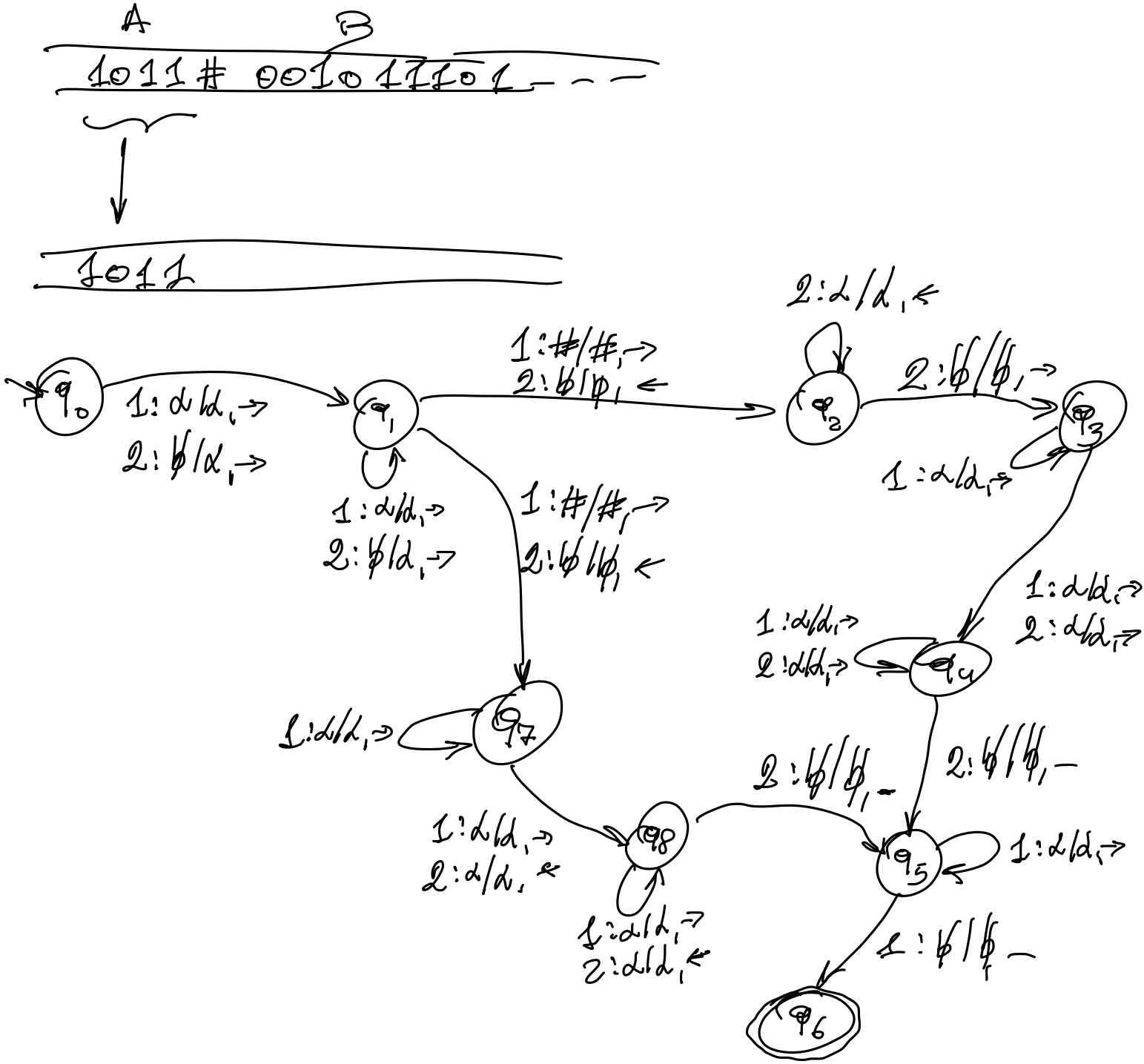
$L = \{ ww \mid w \in (0(1)^+ \}$

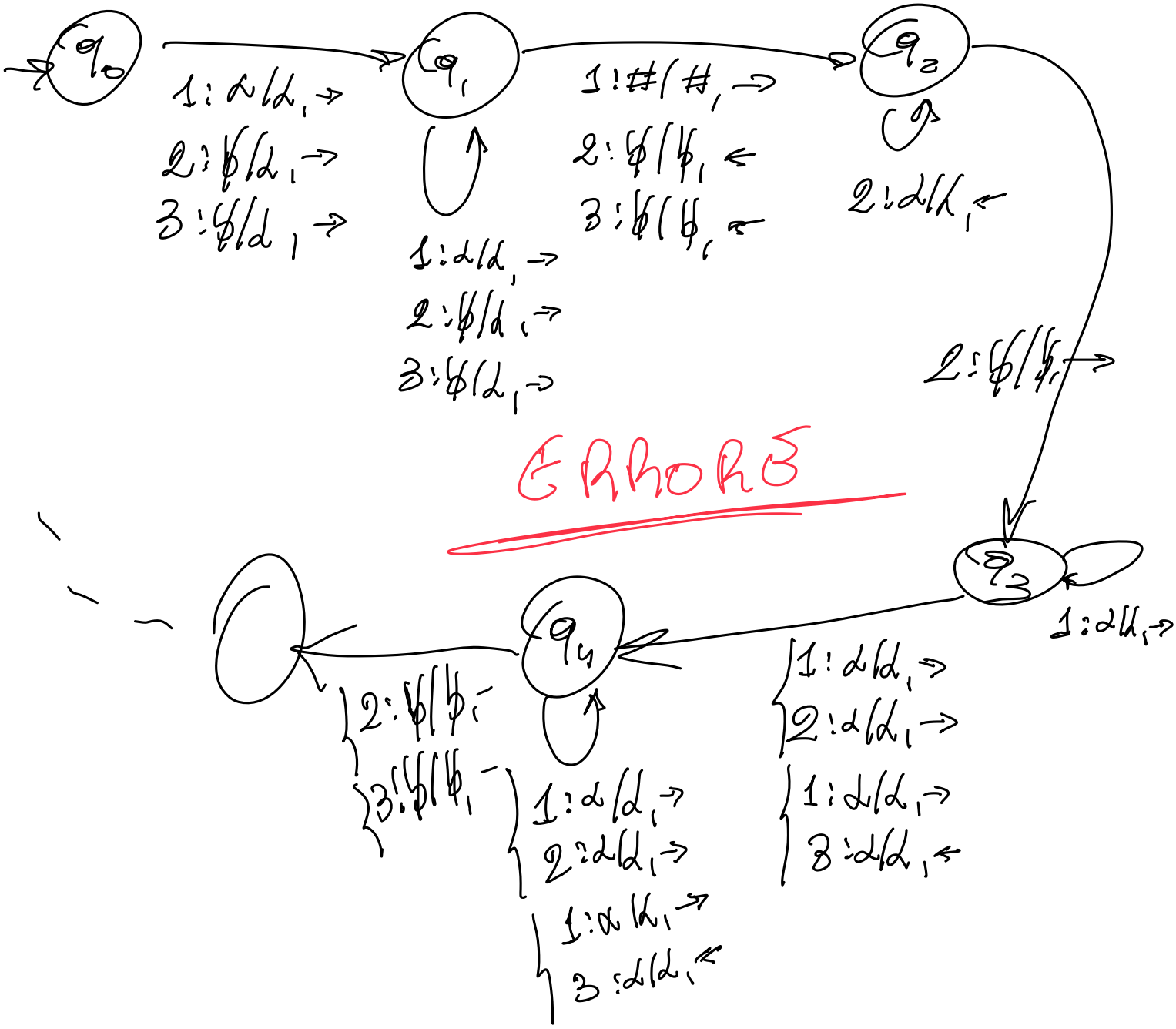
$\alpha \in \{0, 1\}$





$$L = \{ A \# B \mid A, B \in (0|1)^+,\ A \subseteq B \vee A^R \subseteq B \}$$




q_0
q_1
q_2
q_3
q_4
1 : a / a , →
2 : ϕ / a , →
3 : ϕ / a , →
1 : # / # , →
2 : ϕ / ϕ , ←
3 : ϕ / ϕ , ←
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1 : a / a , →
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ERRORS
1 : a / a , →
1 : a / a , →
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1 : a / a , →
2 : a / a , →
1 : a / a , →
3 : a / a , ←

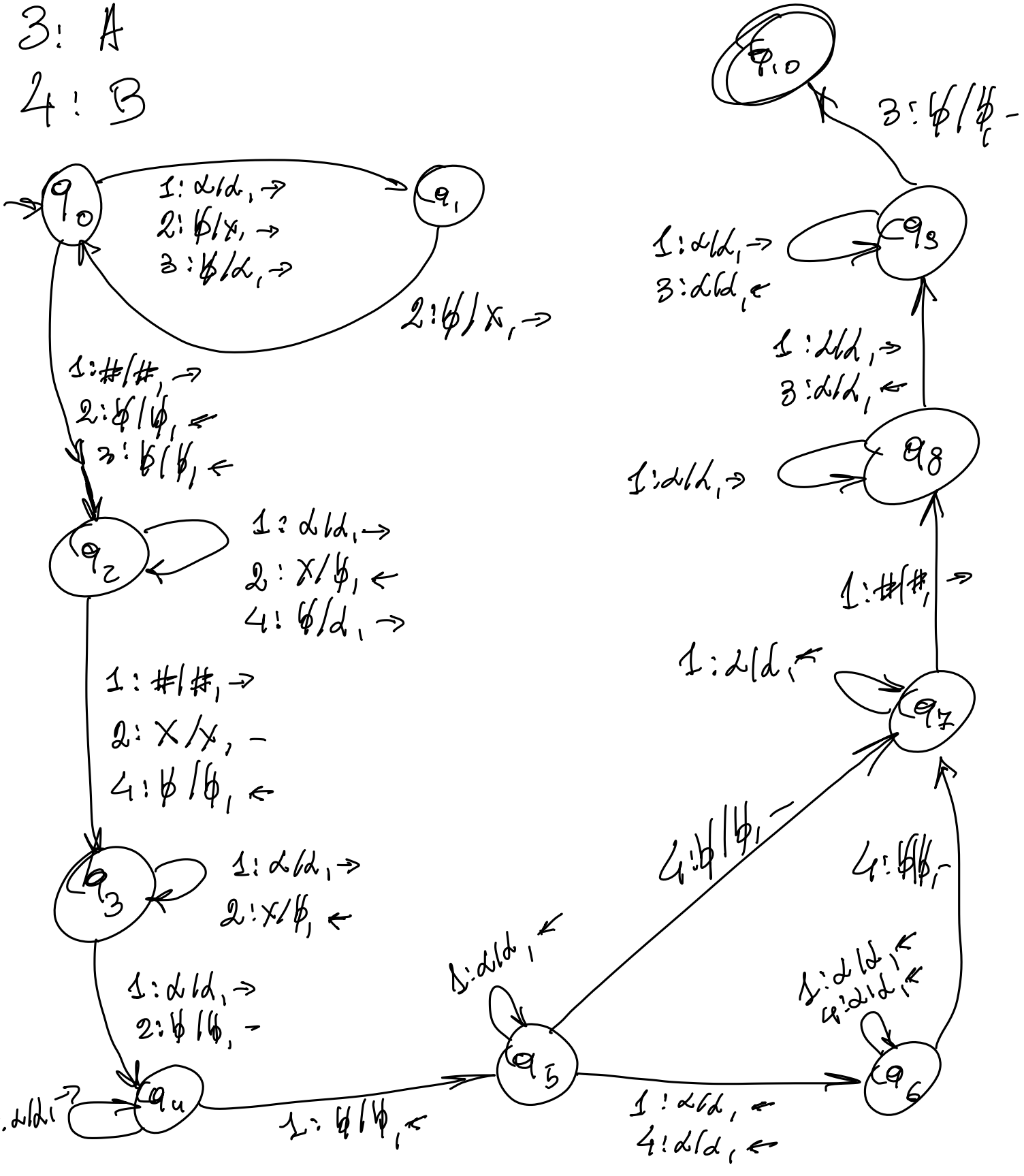
$$L = \{ A\#B\#W \mid |W| > 2|A| - |B|,\ |B| < 2|A|,\ W, A, B \in (0|1)^*,\ A^R \subseteq W \wedge B \subseteq W \}$$

1: Input

2: $2|A| - |B|$

3: A

4: B



$$L = \{ X^n \# W_1 \# \cdots \# W_n \mid n > 0,\ W_i \in (a|b|c|\mathcal{L})^+$$
$$\forall i,\ 1 \le i \le n,\ \exists S_i\ \ S_i \in W_i,\ |S_i| = i,\ S_i = S_i^R \}$$